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Generic Marking Principles

These general marking principles must be applied by all examiners when marking candidate answers. They should be applied alongside the specific content of the mark scheme or generic level descriptors for a question. Each question paper and mark scheme will also comply with these marking principles.

GENERIC MARKING PRINCIPLE 1: Marks must be awarded in line with: • the specific content of the mark scheme or the generic level descriptors for the question • the specific skills defined in the mark scheme or in the generic level descriptors for the question • the standard of response required by a candidate as exemplified by the standardisation scripts.
GENERIC MARKING PRINCIPLE 2: Marks awarded are always **whole marks** (not half marks, or other fractions).
GENERIC MARKING PRINCIPLE 3: Marks must be awarded **positively**: • marks are awarded for correct/valid answers, as defined in the mark scheme. However, credit is given for valid answers which go beyond the scope of the syllabus and mark scheme, referring to your Team Leader as appropriate • marks are awarded when candidates clearly demonstrate what they know and can do • marks are not deducted for errors • marks are not deducted for omissions • answers should only be judged on the quality of spelling, punctuation and grammar when these features are specifically assessed by the question as indicated by the mark scheme. The meaning, however, should be unambiguous.
GENERIC MARKING PRINCIPLE 4: Rules must be applied consistently, e.g. in situations where candidates have not followed instructions or in the application of generic level descriptors.

GENERIC MARKING PRINCIPLE 5:

Marks should be awarded using the full range of marks defined in the mark scheme for the question (however; the use of the full mark range may be limited according to the quality of the candidate responses seen).

GENERIC MARKING PRINCIPLE 6:

Marks awarded are based solely on the requirements as defined in the mark scheme. Marks should not be awarded with grade thresholds or grade descriptors in mind.

Science-Specific Marking Principles

1	Examiners should consider the context and scientific use of any keywords when awarding marks. Although keywords may be present, marks should not be awarded if the keywords are used incorrectly.
2	The examiner should not choose between contradictory statements given in the same question part, and credit should not be awarded for any correct statement that is contradicted within the same question part. Wrong science that is irrelevant to the question should be ignored.
3	Although spellings do not have to be correct, spellings of syllabus terms must allow for clear and unambiguous separation from other syllabus terms with which they may be confused (e.g. ethane / ethene, glucagon / glycogen, refraction / reflection).
4	The error carried forward (ecf) principle should be applied, where appropriate. If an incorrect answer is subsequently used in a scientifically correct way, the candidate should be awarded these subsequent marking points. Further guidance will be included in the mark scheme where necessary and any exceptions to this general principle will be noted.
5	'List rule' guidance For questions that require *n* responses (e.g. State **two** reasons …): • The response should be read as continuous prose, even when numbered answer spaces are provided. • Any response marked *ignore* in the mark scheme should not count towards *n*. • Incorrect responses should not be awarded credit but will still count towards *n*. • Read the entire response to check for any responses that contradict those that would otherwise be credited. Credit should **not** be awarded for any responses that are contradicted within the rest of the response. Where two responses contradict one another, this should be treated as a single incorrect response. • Non-contradictory responses after the first *n* responses may be ignored even if they include incorrect science.

6	Calculation specific guidance
	Correct answers to calculations should be given full credit even if there is no working or incorrect working, **unless** the question states 'show your working'.
	For questions in which the number of significant figures required is not stated, credit should be awarded for correct answers when rounded by the examiner to the number of significant figures given in the mark scheme. This may not apply to measured values.
	For answers given in standard form (e.g. $a \times 10^n$) in which the convention of restricting the value of the coefficient (a) to a value between 1 and 10 is not followed, credit may still be awarded if the answer can be converted to the answer given in the mark scheme.
	Unless a separate mark is given for a unit, a missing or incorrect unit will normally mean that the final calculation mark is not awarded. Exceptions to this general principle will be noted in the mark scheme.
7	Guidance for chemical equations
	Multiples / fractions of coefficients used in chemical equations are acceptable unless stated otherwise in the mark scheme.
	State symbols given in an equation should be ignored unless asked for in the question or stated otherwise in the mark scheme.

Annotations

✓	Correct point Method of analysis marks in **Question 1**
✓$_{1-10}$	Additional detail marks in **Question 1**
X	Incorrect point
^	Omission
BOD	Benefit of the doubt
NBOD	No benefit of the doubt given
ECF	Error carried forward
P	Defining the problem marks in **Question 1** Power of ten error in **Question 2**
M0	Methods of data collection marks in **Question 1**
SF	Incorrect number of significant figures

Question	Answer	Marks
1	**Defining the problem**	
	θ is the independent variable and x is the dependent variable **or** vary θ and measure x	**1**
	keep (angle) β constant	**1**
	Methods of data collection	
	labelled diagram of workable experiment including: • spring attached at both ends e.g. one end connected to a clamp and stand • strip free to move • at least two labels from: clamp, stand, wire, strip, spring, bench (Do not accept extra masses added to strip.)	**1**
	use a rule to measure L <u>and</u> d	**1**
	use a protractor to measure θ **or** use a rule to measure appropriate distances to determine θ by trigonometry methods	**1**
	measure original length of spring and new length of spring using rule/calipers	**1**
	Method of analysis	
	plot a graph of x against cos θ **or** cos θ against x (Allow log x against log (cos θ).)	**1**
	relationship is valid <u>if</u> a straight line passing through the origin is produced (Allow straight line with gradient = 1 for log-log graph.)	**1**
	$\dfrac{\text{for } x \text{ against cos } \theta}{W = \dfrac{\text{gradient} \times 2kd \sin \beta}{L}}$ **or** $\dfrac{\text{for cos } \theta \text{ against } x}{W = \dfrac{2kd \sin \beta}{\text{gradient} \times L}}$	**1**

Question	Answer	Marks
1	**Additional detail including safety considerations**	**6**
	D1 wear goggles <u>to prevent spring/wire/strip entering into eyes</u> **or** (retort) stand used to support spring is clamped to bench	
	D2 keep distance d <u>constant</u>	
	<u>D3</u> <u>description</u> of (separate) experiment to determine k, e.g. weigh mass and measure extension	
	D4 k = weight / extension **or** mg / extension **or** gradient of weight–extension graph for candidate's workable (separate) experiment	
	D5 method to prevent strip at point P sliding, e.g. use adhesive putty/hinge (Do not accept methods that prevent rotation at point P.)	
	D6 use fiducial markers on spring at both ends **or** measure length of spring on both sides and average	
	D7 method to attach wire to strip, e.g. wire wrapped around the strip/(strong) tape/drill hole and tie wire	
	D8 determine x by subtracting original length of spring from new length	
	D9 adjust support of spring to keep β constant	
	D10 protractor correctly positioned on diagram to measure θ **or** correct trigonometric relationship given for θ	

Question	Answer	Marks
2(a)	gradient = $-\mu$ y-intercept = ln R_0	**1**
2(b)	<table><tr><th>average t / mm</th><th>ln (R / s^{-1})</th></tr><tr><td>0.16 ± 0.03</td><td>3.865 or 3.8649</td></tr><tr><td>0.25 ± 0.03</td><td>3.784 or 3.7842</td></tr><tr><td>0.42 ± 0.03</td><td>3.643 or 3.6428</td></tr><tr><td>0.56 ± 0.02</td><td>3.535 or 3.5351</td></tr><tr><td>0.66 ± 0.02</td><td>3.456 or 3.4563</td></tr><tr><td>0.76 ± 0.02</td><td>3.391 or 3.3911</td></tr></table> Values of average t and ln R correct as shown above.	**1**
	Absolute uncertainties in average t correct as shown above.	**1**
2(c)(i)	Six points plotted correctly. Must be accurate to nearest half a small square. Diameter of points must be less than half a small square.	**1**
	Error bars in average t plotted correctly. All error bars must be plotted. Total length of bar must be accurate to less than half a small square and symmetrical.	**1**

Question	Answer	Marks
2(c)(ii)	Line of best fit drawn. Points must be balanced. Do not accept line from top point to bottom point. Line must pass between (0.22, 3.80) and (0.24, 3.80) **and** between (0.60, 3.50) and (0.62, 3.50).	**1**
	Worst acceptable line drawn (steepest or shallowest possible line that passes through all error bars). All error bars must be plotted.	**1**
2(c)(iii)	<u>Negative</u> gradient determined with clear substitution of data points into $\Delta y / \Delta x$. Distance between data points must be at least half the length of the drawn line.	**1**
	Gradient of worst acceptable line determined. uncertainty = (gradient of line of best fit – gradient of worst acceptable line) **or** uncertainty = ½ (steepest worst line gradient – shallowest worst line gradient)	**1**
2(c)(iv)	y-intercept determined by substitution of point on line into $y = mx + c$.	**1**
	y-intercept of worst acceptable line determined by substitution of point on line into $y = mx + c$. uncertainty = y-intercept of line of best fit – y-intercept of worst acceptable line **or** uncertainty = ½ (steepest worst line y-intercept – shallowest worst line y-intercept) Do not accept ECF from false origin method.	**1**

Question	Answer	Marks
2(d)	$\mu = -$ gradient value Do not accept negative values (from a negative gradient).	1
	R_0 determined using y-intercept **and** μ <u>and</u> R_0 both given with valid SI unit. $R_0 = e^{y\text{-intercept}}$ unit of μ: mm^{-1} unit of R_0: s^{-1}	1
	absolute uncertainty in μ = absolute uncertainty in gradient **and** absolute uncertainty in $R_0 = e^{y-\text{intercept of WAL}} - R_0$ Correct substitution of numbers must be seen.	1
2(e)	Value of t determined to two or three significant figures from **(d) or (c)(iii)** and **(c)(iv)** with correct substitution <u>and</u> correct power of ten(s). Do not accept ECF for POT from **(c)(iii)**, **(c)(iv)** or **(d)**. $t = \dfrac{\ln R - \ln R_0}{-\mu} = \dfrac{\ln 20 - \ln R_0}{-\mu}$ **or** $t = \dfrac{\ln 20 - y\text{-intercept}}{\text{gradient}} = \dfrac{2.996 - \textbf{(c)(iv)}}{\textbf{(c)(iii)}}$	1