## Cambridge International AS \& A Level



## Generic Marking Principles

These general marking principles must be applied by all examiners when marking candidate answers. They should be applied alongside the specific content of the mark scheme or generic level descriptors for a question. Each question paper and mark scheme will also comply with these marking principles.

## GENERIC MARKING PRINCIPLE 1:

Marks must be awarded in line with:

- the specific content of the mark scheme or the generic level descriptors for the question
- the specific skills defined in the mark scheme or in the generic level descriptors for the question
- the standard of response required by a candidate as exemplified by the standardisation scripts.
GENERIC MARKING PRINCIPLE 2:

Marks awarded are always whole marks (not half marks, or other fractions).

## GENERIC MARKING PRINCIPLE 3:

Marks must be awarded positively:

- marks are awarded for correct/valid answers, as defined in the mark scheme. However, credit is given for valid answers which go beyond the scope of the syllabus and mark scheme, referring to your Team Leader as appropriate
- marks are awarded when candidates clearly demonstrate what they know and can do
- marks are not deducted for errors
- marks are not deducted for omissions
- answers should only be judged on the quality of spelling, punctuation and grammar when these features are specifically assessed by the question as indicated by the mark scheme. The meaning, however, should be unambiguous.
GENERIC MARKING PRINCIPLE 4:
Rules must be applied consistently e.g. in situations where candidates have not followed instructions or in the application of generic level descriptors.
GENERIC MARKING PRINCIPLE 5:
Marks should be awarded using the full range of marks defined in the mark scheme for the question (however; the use of the full mark range may be limited according to the quality of the candidate responses seen).

GENERIC MARKING PRINCIPLE 6:
Marks awarded are based solely on the requirements as defined in the mark scheme. Marks should not be awarded with grade thresholds or grade descriptors in mind.

## Mark Scheme Notes

Where a final answer is underlined in the mark scheme, full marks are awarded for a correct answer, regardless of whether there is any supporting working.

If the final answer is not correct, marks may be awarded for correct working as indicated in the mark scheme.

The following abbreviations may be used in a mark scheme:
AG answer given (on question paper)
awrt answer which rounds to
FT follow through (from earlier error)
oe or equivalent
SC special case
soi seen or implied

| Question | Answer | Marks |
| :---: | :--- | ---: |
| 1 | Last week I paid $36 \times 70$ cents $=\$ 25.20$. <br> This week I could have paid $24 \times 90$ cents $=\$ 21.60$. <br> $\$ 25.20-\$ 21.60=\underline{\$ 3.60}$ <br> 1 mark for either $\$ 25.20$ or $\$ 21.60$ seen <br> Alternative method: <br>  <br> Last week the cost was $36 \times 20$ cents $=\$ 7.20$ lower than usual. <br> This week the cost would have been $12 \times 90$ cents $=\$ 10.80$ lower than usual. <br> $\$ 10.80-\$ 7.20=\$ 3.60$ <br> 1 mark for either $\$ 7.20$ or $\$ 10.80$ seen |  |


| Question | Answer | Marks |
| :---: | :--- | ---: |
| 2 | As the third digit is 5, the sixth digit must be 0. <br> As the first digit is 6 and the third digit is 5, the fourth digit must be 3. <br> 1 mark for either of these <br> So the second digit must be 4, making Barry's passcode $\underline{645320}$. | $\mathbf{2}$ |


| Question | Answer | Marks |
| :---: | :--- | ---: |
| $3(\mathrm{a})$ | $\underline{9}$ | $\mathbf{1}$ |
|  | The maximum number of times that any symbol can appear is 6, so there can <br> be at most 36 symbols on edges of the tiles. Since the tiles are all square, <br> there can be at most 9 tiles. |  |


| Question | Answer | Marks |
| :---: | :---: | :---: |
| 3(b) | There are two symbols in common between tiles A and B: * and $■$. There are two symbols in common between tiles A and C: $\boldsymbol{*}^{\text {and }+ \text {. }}$ <br> The only way to have both sides with a symbol that could be matched is to rotate A 90 degrees anticlockwise from that displayed in the question. <br> Filling in the remaining tiles gives: <br> Any tile with $*$ on the face anticlockwise from $\bullet$ as long as the remaining two symbols are not ( $\times$ and $\square$ ) or ( $\times$ and + ), as these would give the same set of symbols as on tile B or tile C. <br> 3 marks for any correct tile D <br> OR 2 marks for deducing that the $*$ on $C$ and the $\bullet$ on $B$ are touching $D$ <br> $O R 1$ mark for having + between $A$ and $C$ and $■$ between $A$ and $B$ | 3 |


| Question | Answer | Marks |
| :---: | :---: | :---: |
| 4(a) | $30 \times 4+20 \times 5=\underline{220}$ cents (\$2.20) | 1 |
| 4(b) | The weight of 5 kg contributes $\$ 1.50$ to the price of the delivery [1]. To have a price less than $\$ 3$, the longest length must be less than $7.5 \mathrm{~cm} /$ must be 7 cm [1]. <br> The largest parcel will be a cube, with all sides 7 cm . | 3 |
| 4(c)(i) | Any plausible reason, for example: <br> - The deliveries may have been over a large distance. <br> - Traffic conditions may have made the deliveries take a long time. <br> - The deliveries may have required the driver to work in unsociable hours. | 1 |
| 4(c)(ii) | 1 mark for each piece of information relevant to their part (c)(i), for example: <br> - The amount that it costs to travel a fixed distance; the distance involved with each delivery. <br> - The pay structure received by the drivers; the expected length of time required to deliver each parcel. <br> - The time of day that deliveries are required to arrive; how much extra drivers are paid during unsociable hours. | 2 |


| Question | Answer | Marks |
| :---: | :--- | ---: |
| 5 | For EARTH to score 3 points more than TRACE, H must score 3 points more <br> than C. H therefore scores 4 points and C scores 1 point. <br> A similar comparison between either EARTH and CHART or CHART and <br> TRACE reveals that E scores 3 points (2 points more than C or 1 point less <br> than H). <br> The letters of TEACHER are those of EARTH plus C and E, or CHART plus <br> two Es, or TRACE plus H and E. | $\mathbf{3}$ |
| TEACHER scores 18. <br> 1 mark for any of $C=1, E=3$ or $H=4$ correct $O R$ for $H-E=1$ OR $H-C=3$ <br> 2 marks for all three correct (could be implied by $A+R+T=7)$ <br> 3 marks for 18 |  |  |


| Question | Answer | Marks |
| :---: | :---: | :---: |
| 6 | To buy a bottle for $\$ 2$ customers must buy two for $\$ 7$ each, so $\$ 323$ must be made up of multiples of $\$ 16$ and $\$ 7$. <br> Searching for the highest possible multiple of $\$ 16$ : $\$ 323 / 16=20 \mathrm{r} 3$ <br> Next multiple below with remainder as a multiple of 7: $\begin{aligned} & 19 \times \$ 16=\$ 304, r 19 \\ & 18 \times \$ 16=\$ 288, r 35 \end{aligned}$ <br> 1 mark for \$323/16 <br> 1 mark for recognising remainder and attempt to improve <br> SC: Award 1 mark for suboptimal answer of 11. | 3 |


| Question | Answer | Marks |
| :---: | :--- | ---: |
| 7 | Each team plays two matches against each of the other 11 teams, a total of <br> 22 matches. [1 mark] <br> $12 \times 22=264$, but each match involves two teams, so the total number of <br> matches in a season is $264 \div 2=132 .[1$ mark] <br> $132-34=98$ matches had a winner, of which $(98 \div 2)+9=\underline{58}$ were won by <br> the home team (and 40 by the away team). <br> SC: Includes matches of each team against itself: <br> Award 1 mark for 144 matches, and a second mark if they arrive at 64 |  |


| Question | Answer | Marks |
| :---: | :--- | ---: |
| 8(a) | To minimise the cost of Friday's lunch, Wednesday's lunch cost $\$ 4.40$. This <br> makes Friday's lunch cost $\$ 6.60$. <br> To minimise the cost of Tuesday's lunch, Thursday's lunch cost $\$ 4.60$. This <br> makes Tuesday's lunch cost $\$ 5.80$. <br> The cheapest remaining amount is $\$ 4.80$. <br> $\$ 4.40+\$ 4.60+\$ 4.80+\$ 5.80+\$ 6.60+\$ 7.60=\underline{\$ 33.80}$ <br> 1 mark for allocating the $\$ 4.40$ to either Wednesday or Thursday and <br> calculating the consequent cost <br> OR <br> 2 marks for the correct costs for Tuesday, Wednesday, Thursday and Friday | $\mathbf{3}$ |
| 8(b) | $\$ 7.20$ is the highest cost which can be $11 / 2$ times another cost; so the other <br> cost must be $\$ 4.80$. <br> $\$ 7.60$ is the highest possible cost for Tuesday, making Thursday $\$ 6.40$. <br> The highest remaining amount is $\$ 7.40$. <br> $\$ 7.60+\$ 7.40+\$ 7.20+\$ 6.40+\$ 4.80+\$ 4.40=\underline{\$ 37.80}$ <br> 1 mark for identifying $\$ 7.20$ as Friday's lunch | $\mathbf{2}$ |


| Question | Answer | Marks |
| :---: | :--- | ---: |
| $9(a)$ | Since the sector representing Tuesday has got larger and the sector <br> representing Wednesday has got smaller, it must have been at the start of the <br> day on Wednesday that James changed the price. | $\mathbf{1}$ |
| $9(b)$ | The sales on Monday and Tuesday were $2 / 3$ of the total sales, but generated <br> 3/4 of the income. [1 mark soi] <br> Therefore, on Wednesday to Friday, half as many sales generated $1 / 3$ of the <br> income, [1 mark soi] <br> which means that each bookmark must have been sold at $2 / 3$ the price - <br> which is $\$ 4$. | $\mathbf{3}$ |


| Question | Answer | Marks |
| :---: | :--- | ---: |
| 10(a)(i) | Last week's bill was a total of \$20, so the reduction is $\$ 2 .[1$ mark] <br> If it applied to orange juice it would be a half price carton of orange juice: <br> Buy 1 carton of orange juice, get an extra one for half price. <br> Buy 2 cartons of orange juice, get an extra one for half price. $[1$ mark for both] | $\mathbf{2}$ |
| 10(a)(ii) | \$2 cannot be achieved with half price packets, so it would have to be: <br> $\underline{40 \% \text { off all packets of snacks. }[1 \text { mark] }}$ <br> $\$ 2$ could also be achieved from 10\% off the total price of the bill. $[1$ mark] | $\mathbf{2}$ |


| Question | Answer | Marks |
| :---: | :--- | ---: |
| 10(b) | To distinguish between the two offers that could be on orange juice, there <br> needs to be 2 cartons of orange juice in the purchase. [1 mark] <br> There needs to be 1 packet of snacks in the order to distinguish between the <br> offer being on snacks or the overall order. [1 mark] | $\mathbf{2}$ |
|  | No additional purchases allowed for 2 marks <br> FT from (a): <br> If four offers were identified in part (a), award 1 mark for a purchase that <br> would allow three of the offers to be distinguished and 2 marks for the <br> cheapest purchase that would allow all four offers to be distinguished |  |



| Question | Answer | Marks |
| :---: | :--- | ---: |
| 12(a) | 20 km at $30 \mathrm{~km} / \mathrm{h}$ would take 40 minutes. <br> 50 km at $100 \mathrm{~km} / \mathrm{h}$ would take 30 minutes. <br> 30 km at $40 \mathrm{~km} / \mathrm{h}$ would take 45 minutes. <br> The total amount of time would be 115 minutes. | $\mathbf{1}$ |
| 12(b) | The extra 6 minutes must come from the reduced speed in the roadworks. <br> Considering an arbitrary distance: a 60 km stretch of roadworks: This would <br> previously have taken 36 minutes and now takes 60 minutes, so a 60 km <br> stretch of roadworks would have extended the time by 24 minutes. <br> Since the extra time is one quarter of this, the stretch of roadworks must have <br> been $\underline{15 \mathrm{~km} .}$ | $\mathbf{3}$ |
| 1 mark for calculating how much the time would be extended by for any <br> specific stretch of roadworks <br> 1 mark for the correct proportion of this time in relation to 6 minutes |  |  |

